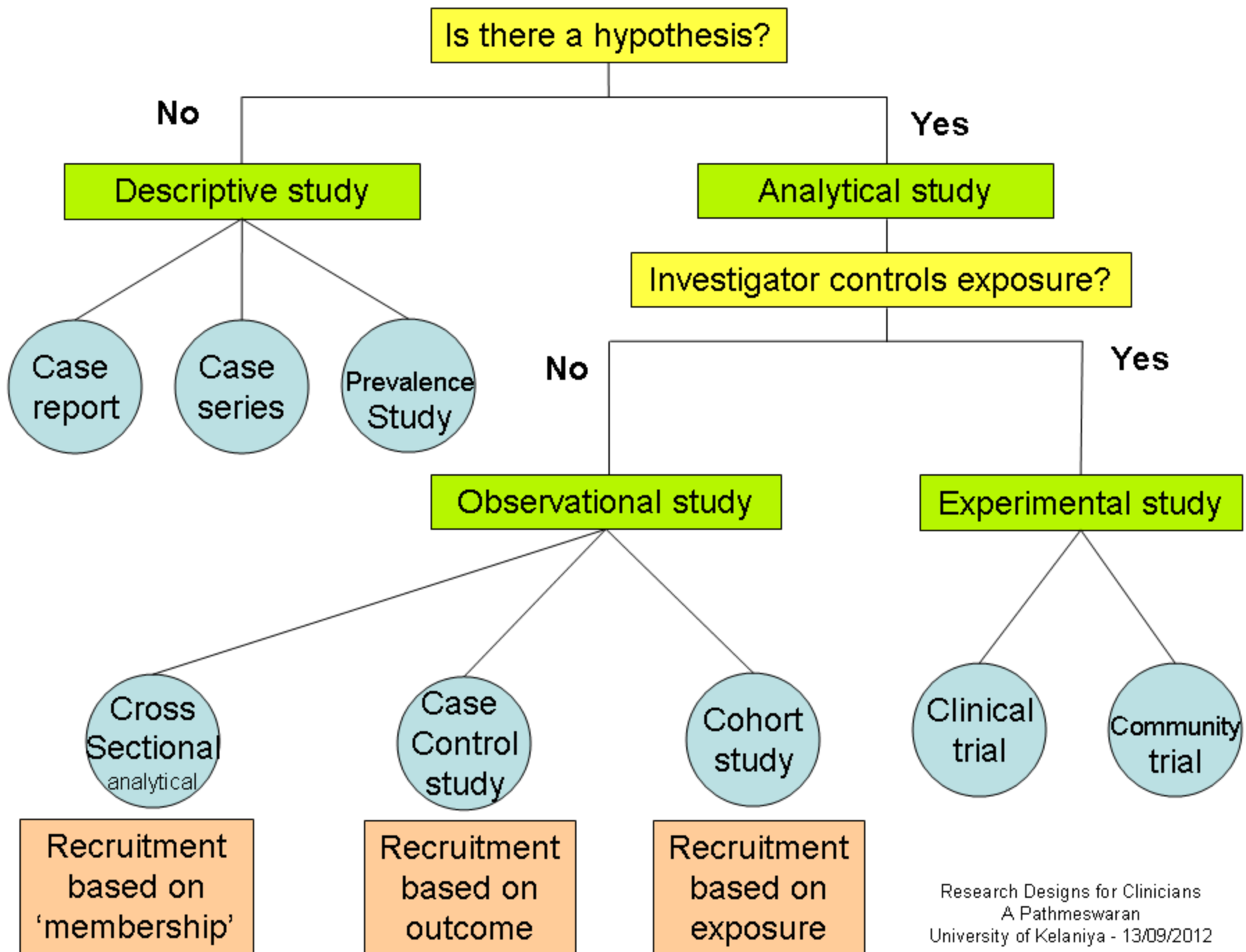


Calculation of Sample Size

- Descriptive study
 - Estimate a mean or percentage
- Analytical study
 - Demonstrate the difference between two means or percentages



What information is needed?

- Depends on the objectives
 - Is it estimation (95% confidence interval) / Descriptive study
or
hypothesis testing (P value) / Analytic study
 - Outcome variable numeric or categorical (mean Vs proportion)

Descriptive study

- Estimate a population mean
 - An estimate of the standard deviation
 - Desired width of the 95% confidence interval
- Estimate a population proportion
 - An estimate of the proportion
 - Desired width of the 95% confidence interval

Sample size to estimate a mean

$$n = \frac{z^2 (sd)^2}{d^2}$$

n – sample size

d – desired absolute precision (half the width of the 95% CI)

sd – standard deviation

z – 1.96 for 95% confidence interval

Sample size to estimate a proportion

$$n = \frac{z^2 (pq)}{d^2}$$

n – sample size

d – desired absolute precision (half the width of the 95% CI)

p – proportion to be estimated

q – $100 - p$

z – 1.96 for 95% confidence interval

1. Calculate the minimum sample size required to determine the prevalence of obesity in an MOH area.
The expected prevalence is 30% and the investigator would like the total width of the 95%CI to be 10%.

1. The study was done using the above sample size.

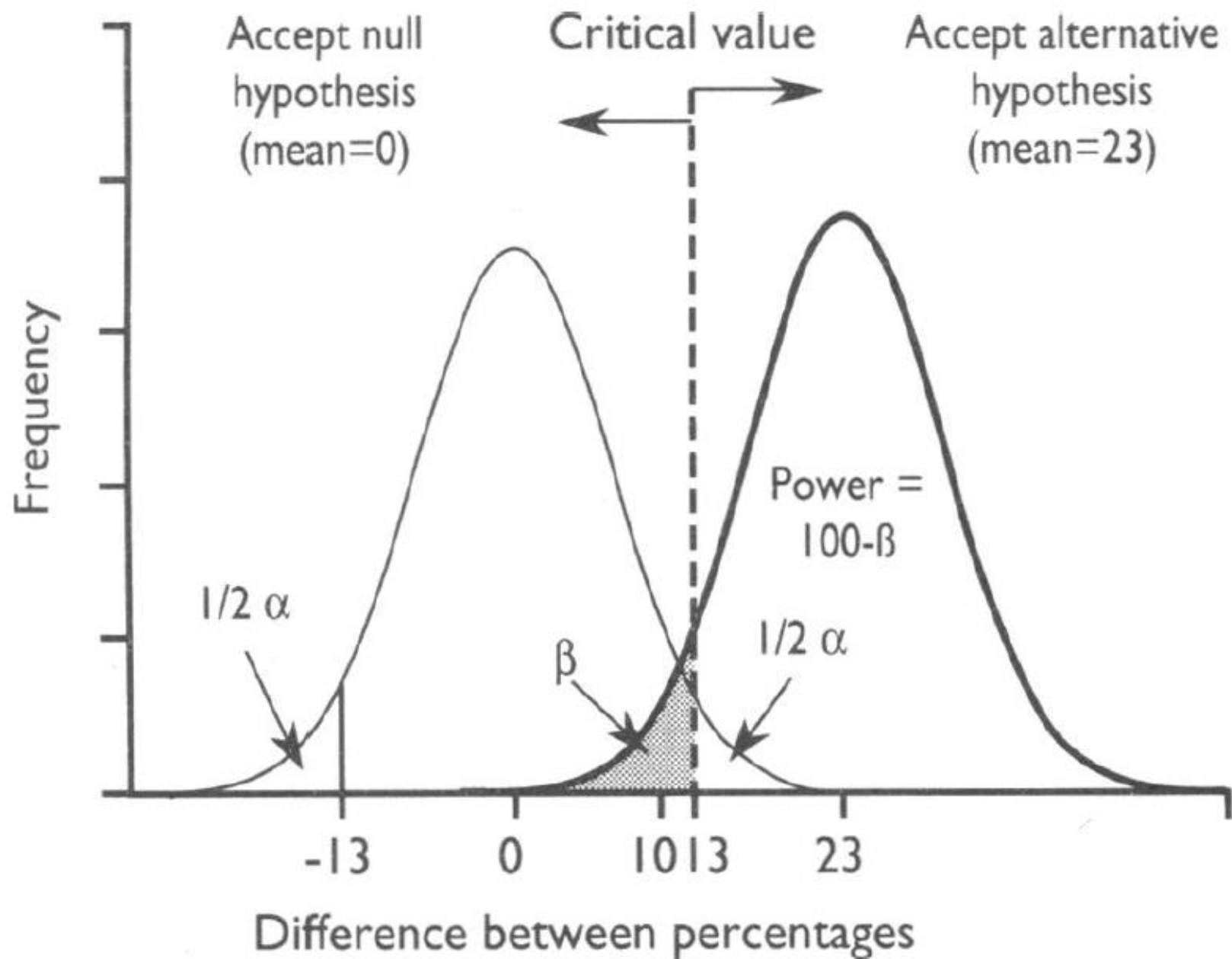
What would be the 95% CI if the point estimate turns out to be -

- a. 20%
- b. 40%
- c. 50%
- d. 60%

2. What would be the effect on the 95% CI if a cluster sampling method had been used?

Analytical study

- Difference between two means
 - Estimates of the two standard deviations
 - Level of significance (usually 0.05)
 - Power (either 80% or 90%)
- Difference between two proportion
 - Estimates of the two proportions
 - Level of significance (usually 0.05)
 - Power (either 80% or 90%)



Sample size to estimate difference between two means

$$n = \frac{((1.96 + 1.28)^2 (2(sd^2)))}{d^2}$$

n – sample size of one group (total sample size = $2n$)

sd – standard deviation in the two groups (for simplicity assumed to be equal)

d – expected difference between the two means

Significance 5% (1.96); Power 80% (1.28)

Sample size to estimate difference between two proportions

$$n = \frac{((1.96 + 1.28)^2 (p_1 q_1 + p_2 q_2))}{(p_1 - p_2)^2}$$

n – sample size of one group (total sample size = $2n$)

p_1 & p_2 – expected proportions in the two groups

q – $100 - p$

Significance 5% (1.96); Power 80% (1.28)

Calculation of Sample Size

When presenting sample size calculation-

- State the assumptions
- Give references
- Indicate the formula used
- Indicate the computer software used